

A general method to predict the performance of brazed plate heat exchangers used in Organic Rankine Cycles

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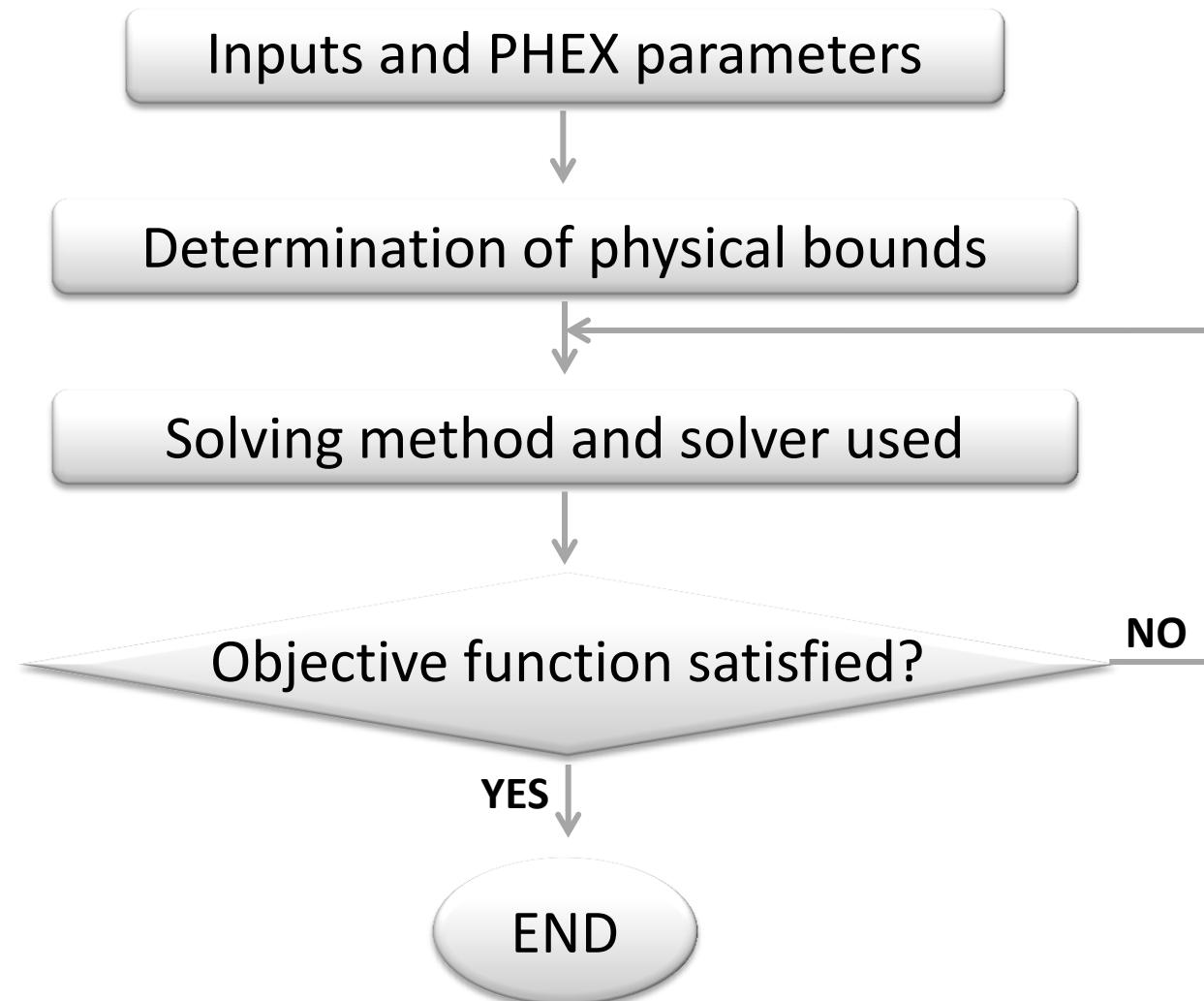
Overview

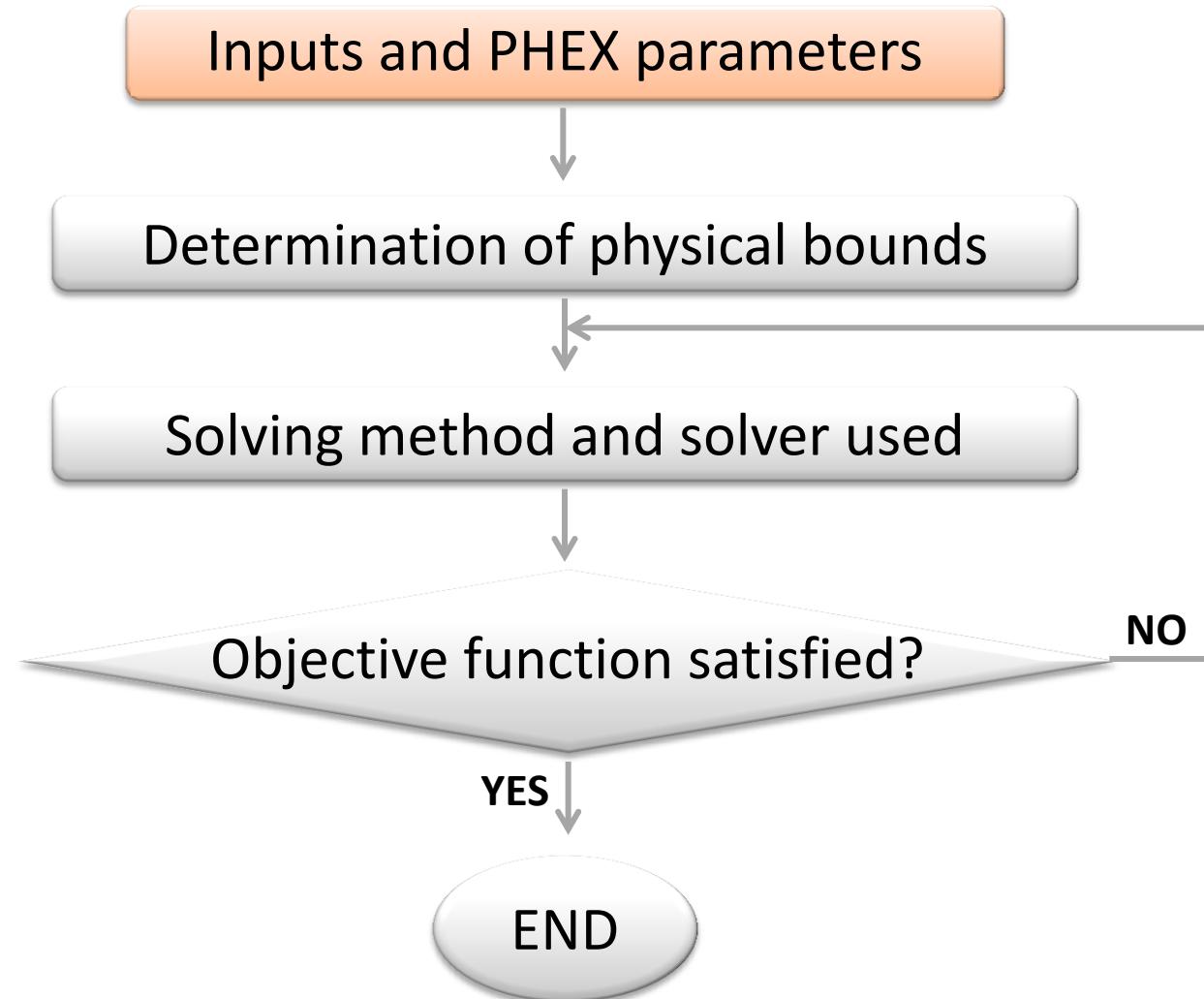
- ❖ Context & Objective
- ❖ PHEX model
 - ✓ Methodology
 - ✓ Solver
- ❖ Validation
- ❖ Application to ORCs
- ❖ Conclusions

Context & Objective

- ❖ Brazed plate heat exchangers present different characteristics that make them suitable for use in ORC systems:
 - ✓ minimal risk of internal leakage,
 - ✓ compact design,
 - ✓ efficient heat transfers,
 - ✓ controllable pressure drops,
 - ✓ easy maintenance,

and are therefore commonly used as the evaporator, condenser or regenerator.
- ❖ This work consists in the implementation of a unique solution to solve **moving boundaries brazed plate heat exchanger models** that allows handling **any flows configuration and steady state operating conditions possible** in the heat exchanger.

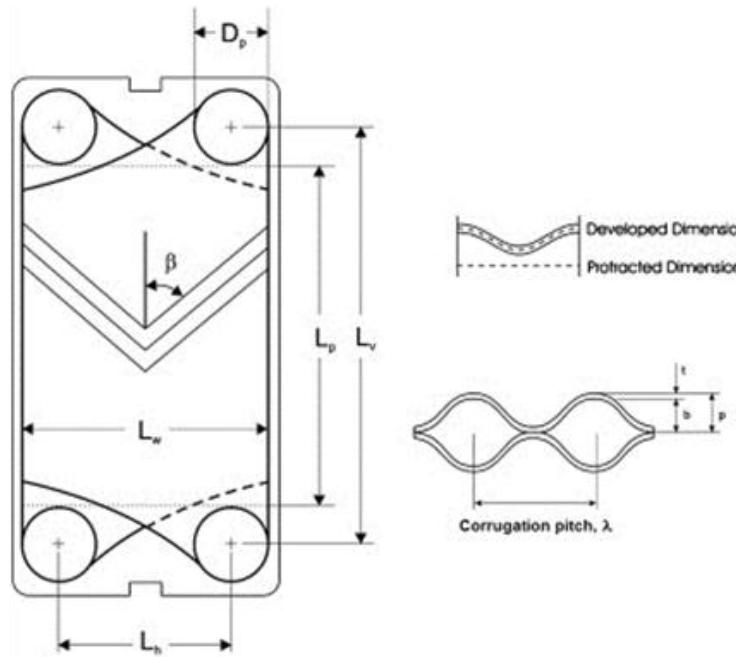


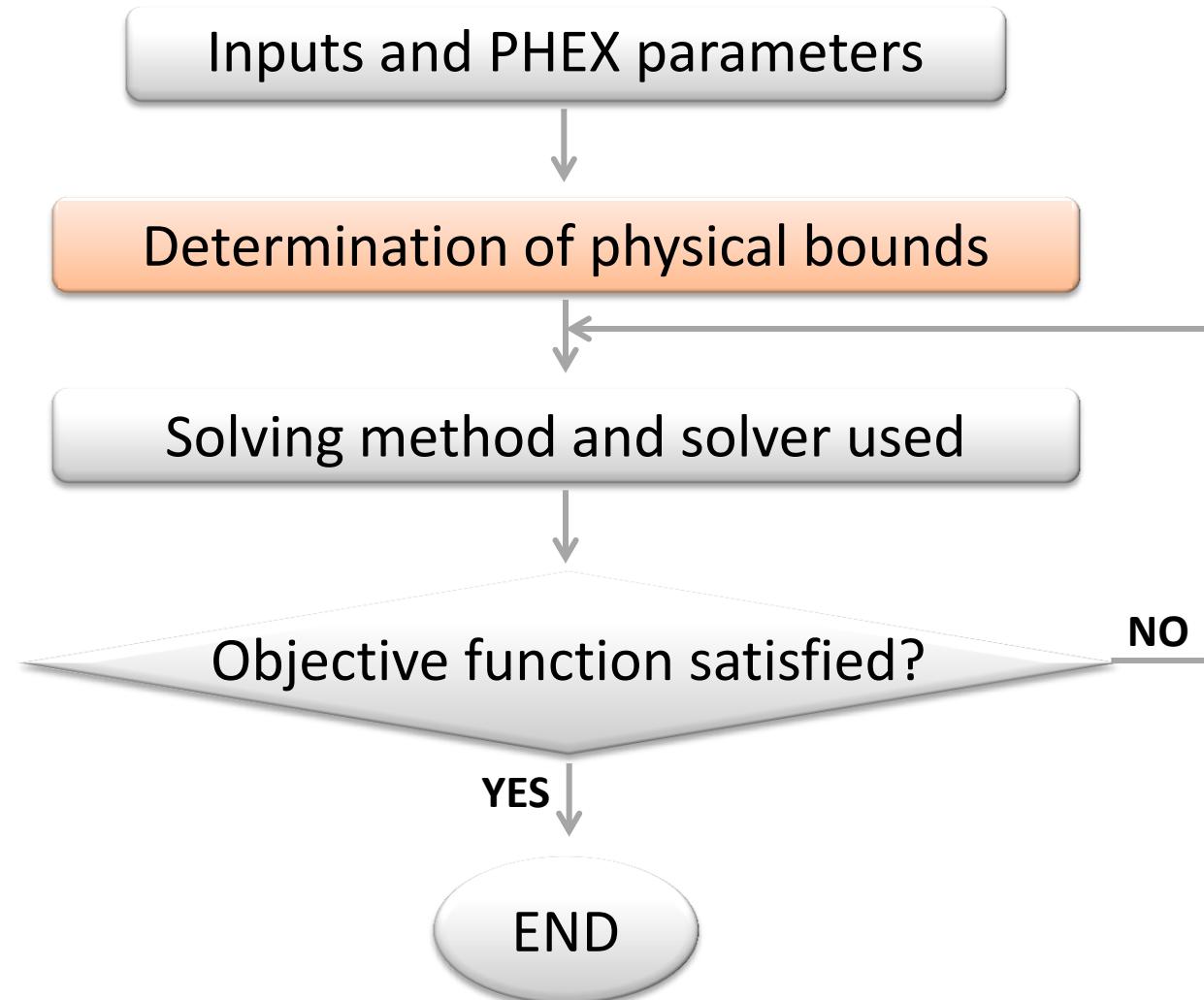


Inputs and PHEX parameters

- ❖ Inlet temperature on both sides
- ❖ Inlet pressure on both sides
- ❖ Mass flow rate on both sides

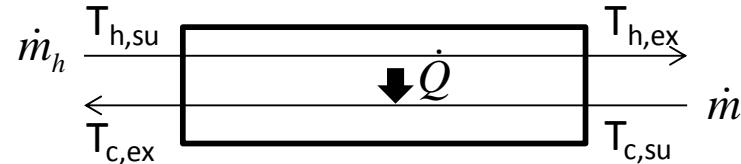
- ❖ Dimensions
- ❖ Number of plates
- ❖ Plates characteristics:
 - ✓ inclination angle,
 - ✓ conductivity,
 - ✓ amplitude,
 - ✓ wavelength.





Determination of physical bounds

❖ Maximum heat transfer rate?



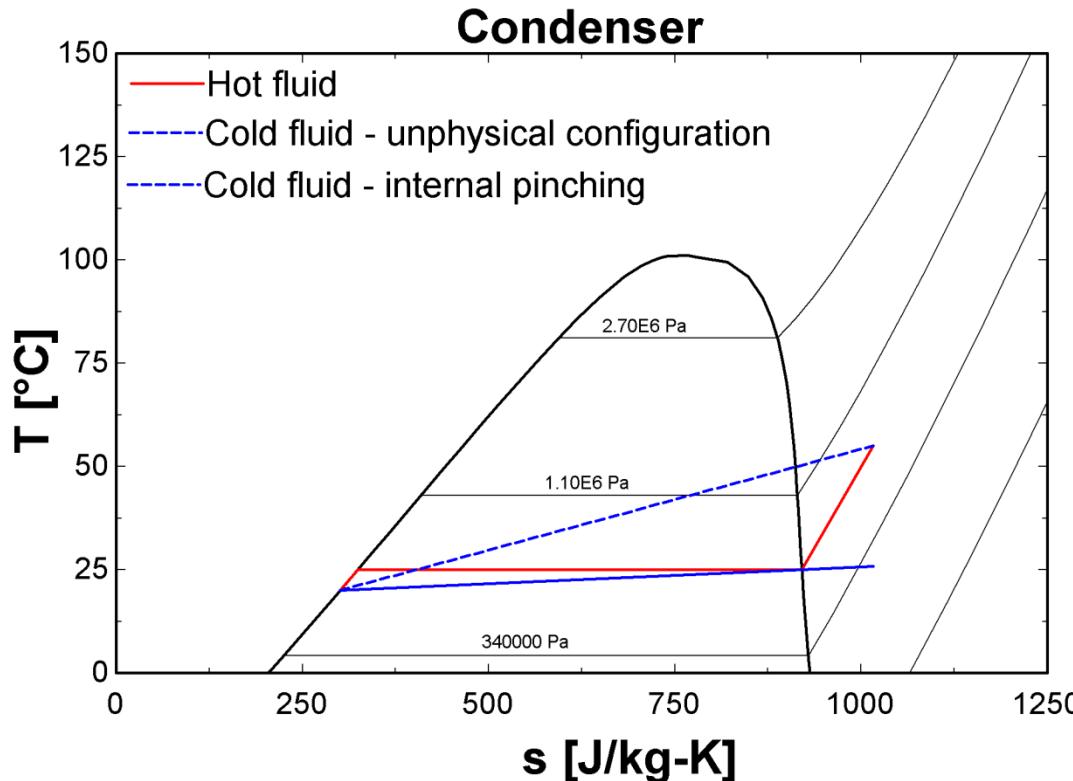
$$\dot{Q}_{\max} = \min[\dot{Q}_{\max,c}; \dot{Q}_{\max,h}]$$

$$\dot{Q}_{\max,c} = \dot{m}_c [h(P = P_{c,ex}, T = T_{h,su}, fluid_c) - h_{c,su}]$$

$$\dot{Q}_{\max,h} = \dot{m}_h [h_{h,su} - h(P = P_{h,ex}, T = T_{c,su}, fluid_h)]$$

Determination of physical bounds

- ❖ Internal pinching? The maximum heat transfer rate possible is decreased.



$$h_{pinch,c} = h(P = P_c, T = T_{dew,h}, fluid_c)$$

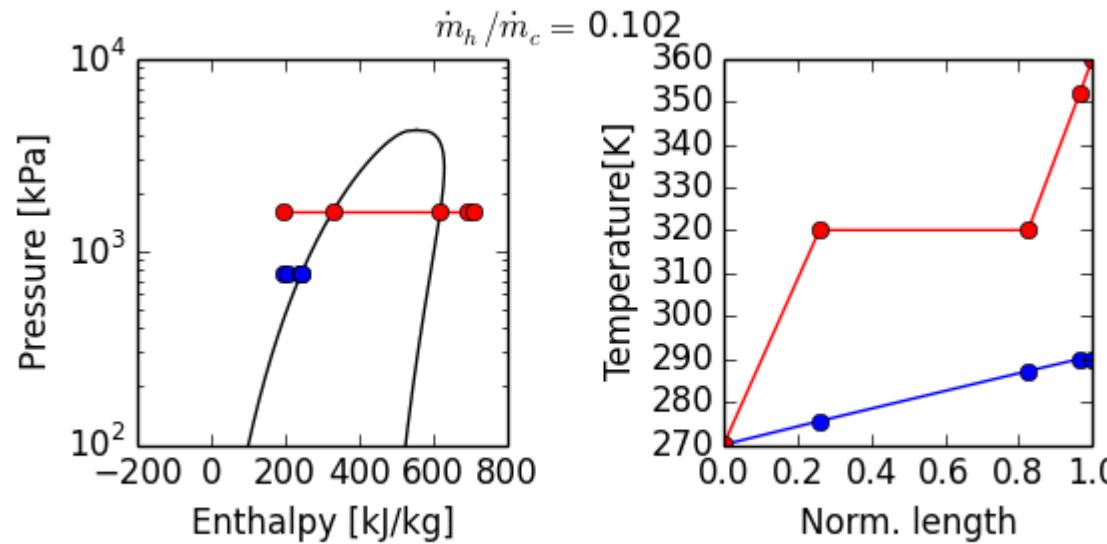
$$h_{pinch,h} = h(x = 1, T = T_{dew,h}, fluid_h)$$

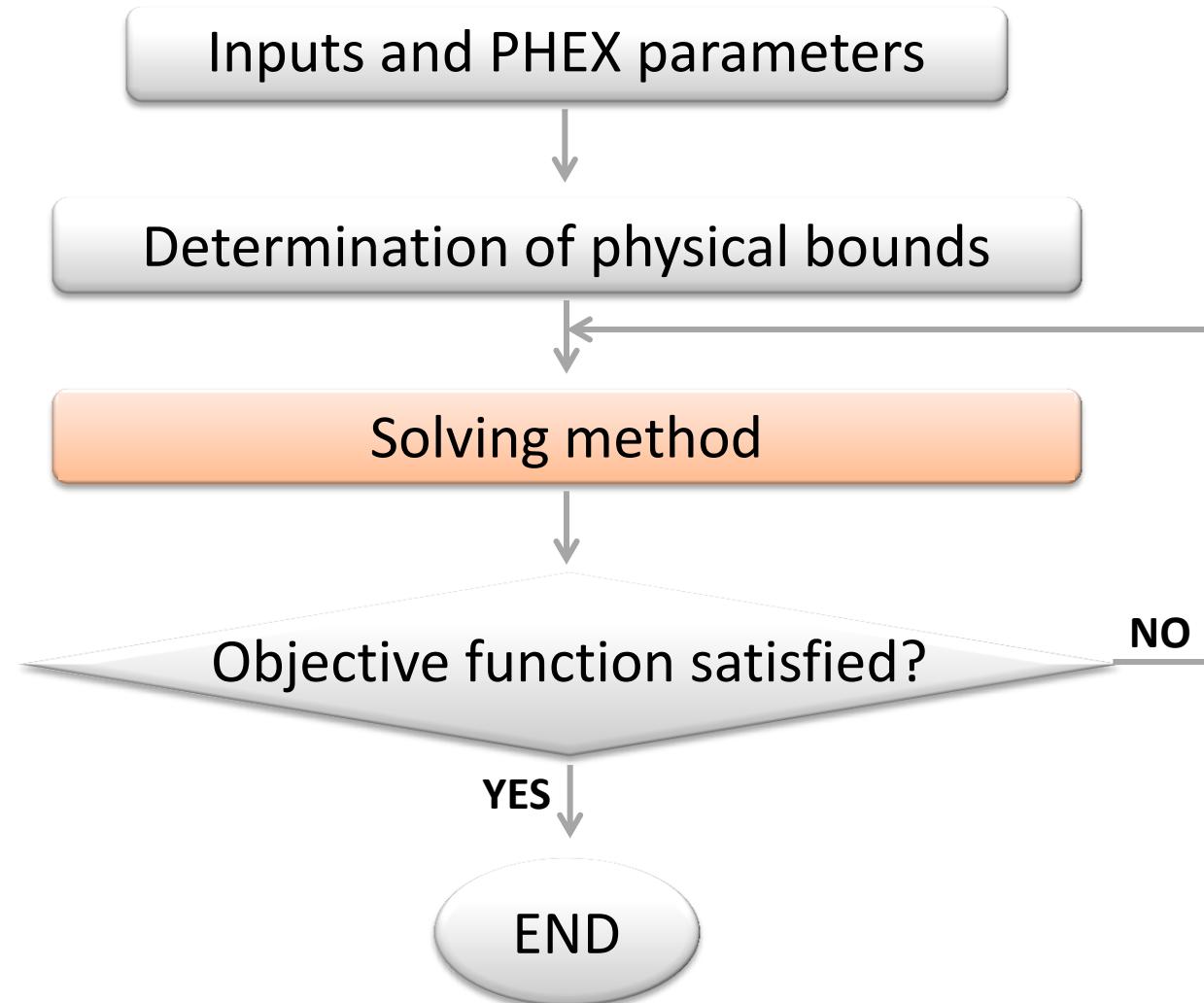


$$\dot{Q}_{max} = \dot{m}_c (h_{pinch,c} - h_{su,c}) + \dot{m}_h (h_{su,h} - h_{pinch,h})$$

Determination of physical bounds

- ❖ Combine to determine physical bounds for the heat transfer rate





Solving method and solver used

In each cell,

- Use LMTD method to determine required AU (AU_{req})
- Determine AU if the entire heat exchanger was devoted to this cell

$$\frac{1}{AU} = \frac{1}{\frac{1}{h_c A_c} + \frac{e}{kA} + \frac{1}{h_h A_h}}$$

- Compute the portion of heat exchanger actually devoted to it

$$w_k = \frac{AU_{req}}{AU}$$

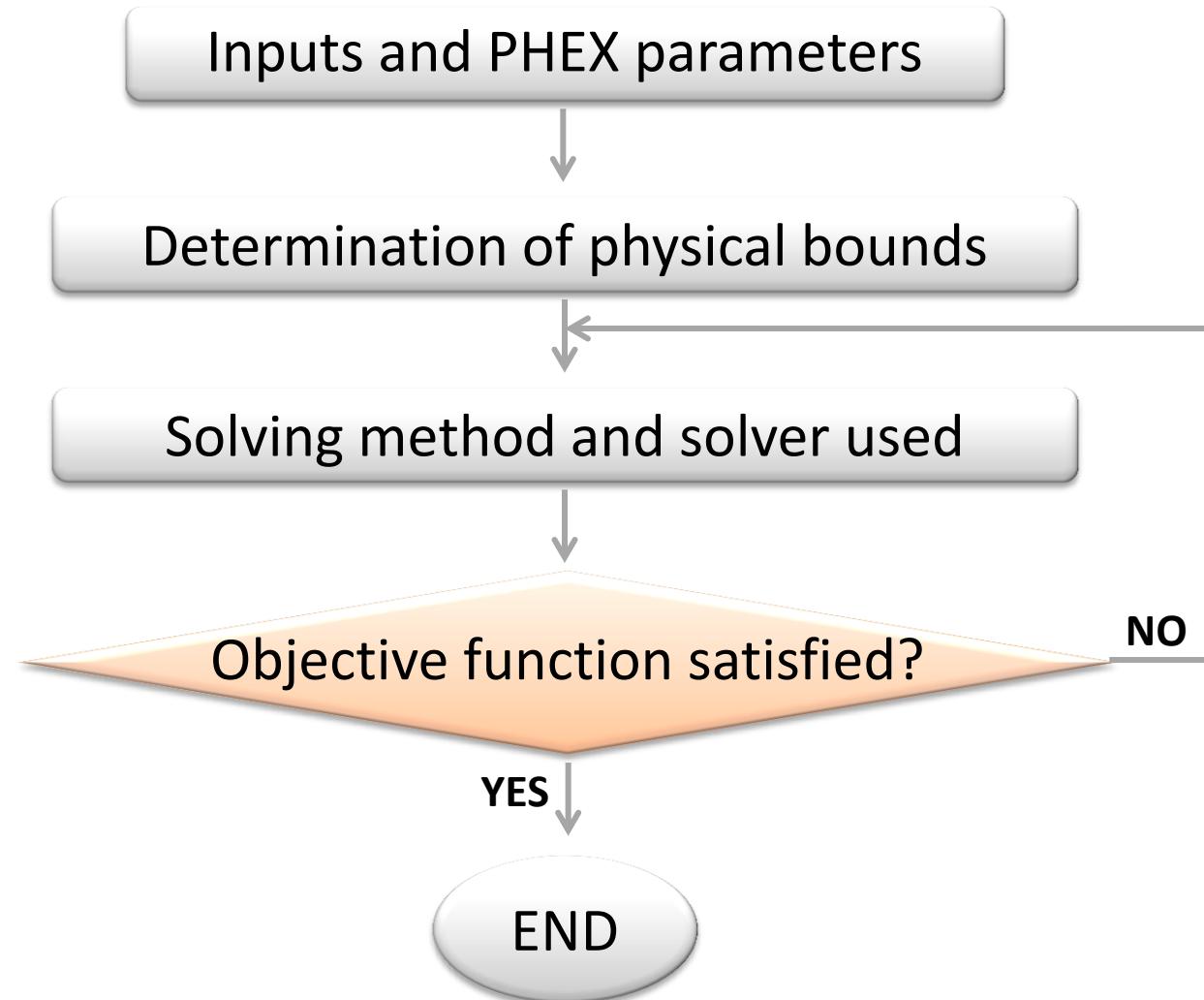
Solving method and solver used

Heat transfer coefficients from correlation

- Evaporation from Cooper pool boiling
- Single-Phase from Martin

Thermophysical properties from CoolProp

(<http://coolprop.sf.net>) (open source, free, reference-grade)



Objective function satisfied?

The objective function is given by

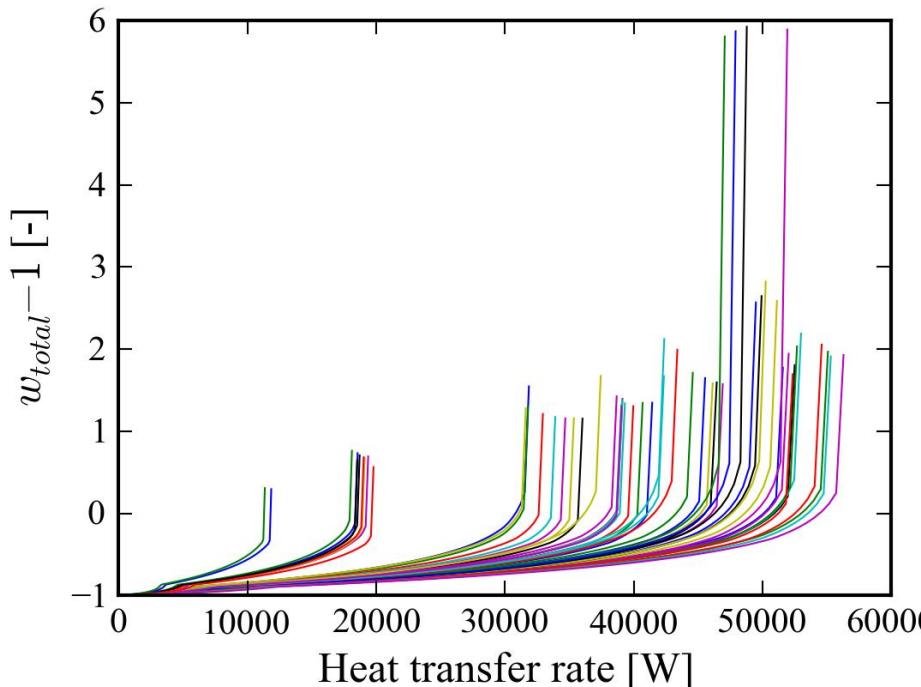
$$\sum_k w_k = 1$$

and the actual heat transfer rate is computed by an iterative process. It is varied between 0 and Q_{\max} until the size of the heat exchanger determined at each iteration verifies this relation.

Objective function satisfied?

BRENT SOLVER

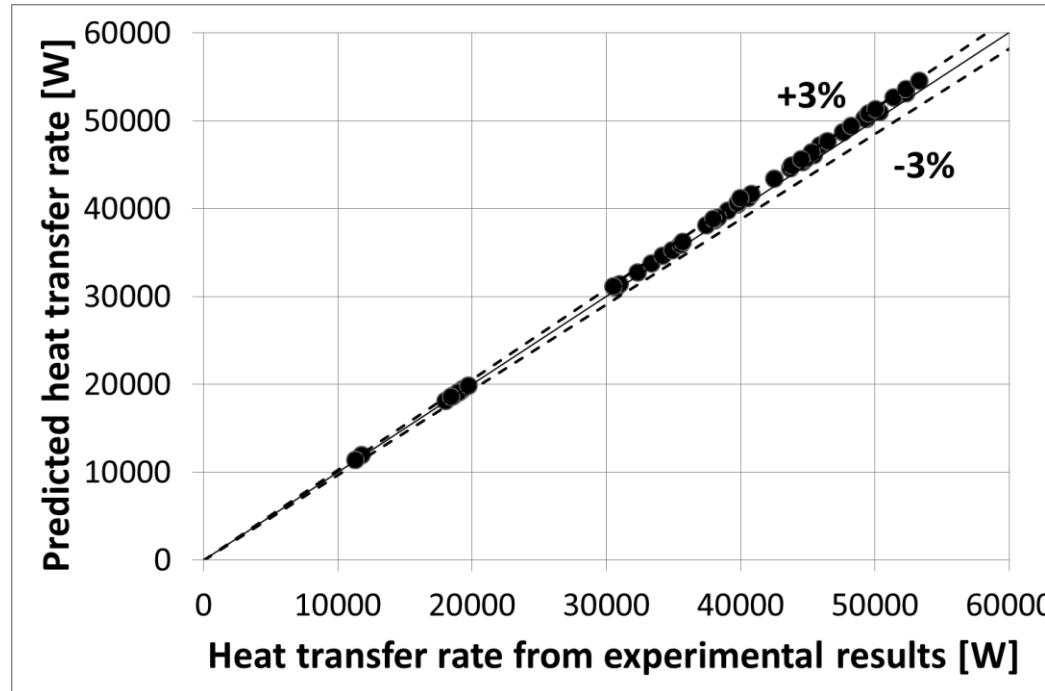
- ✓ Solution guaranteed so long as the objective function is continuous and the bounds bracket the solution.



- ✓ Quadratic interpolation and bisection method.
- ✓ Increased efficiency to solve highly non-linear objective functions behavior.

Validation

- ❖ Validation under way...
- ❖ So far, tested for a dataset from experimental data carried out with R134a

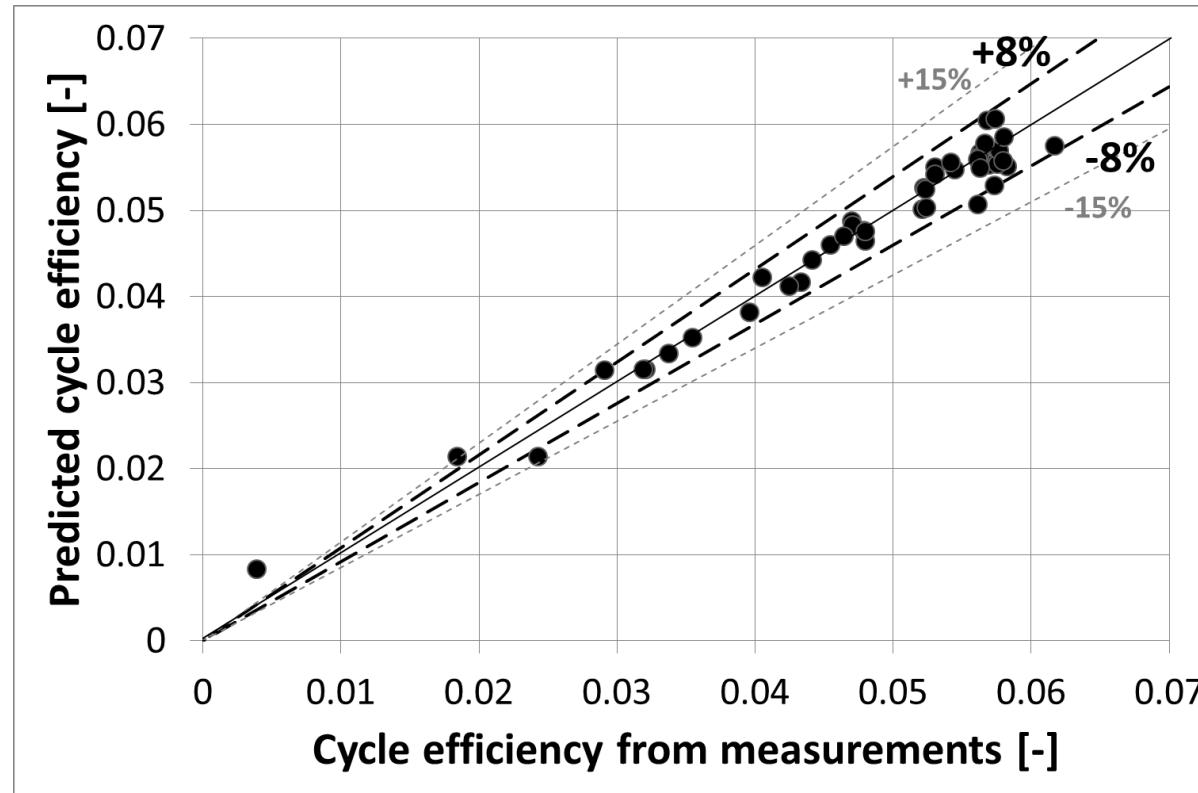


✓ Good agreement found for heat transfer rate and outlet temperature prediction

But points characterized by pinch points ranging between 2 and 12 K and a **high efficiency**.

Application to ORCs

- ❖ 4 components ORC test stand with plate heat exchangers for **condenser and evaporator**



Conclusions

Thank You!!

Any Questions